

Cation reorientation and octahedral tilting in the metal-organic perovskites MAPI and FAPI

Francesco Trequattrini

Dip. Fisica, Sapienza Univ. Roma & CNR-ISM
Rome, Italy

Francesco Cordero

CNR-ISM, Istituto di Struttura della Materia,
Roma -Tor Vergata, Italy

Collaborations

Francesco Cordero

CNR-ISM - Roma

anelastic spectroscopy

Francesco Trequattrini

Phys. Dept., Sapienza Roma



Floriana Craciun

dielectric spectroscopy

Anna Maria Paoletti,
Giovanna Pennesi,
Gloria Zanotti



CNR-ISM - Roma

sample preparation, DSC

Amanda Generosi

X-ray

Summary

MAPI - MAPbI_3 [MA = CH_3NH_3]

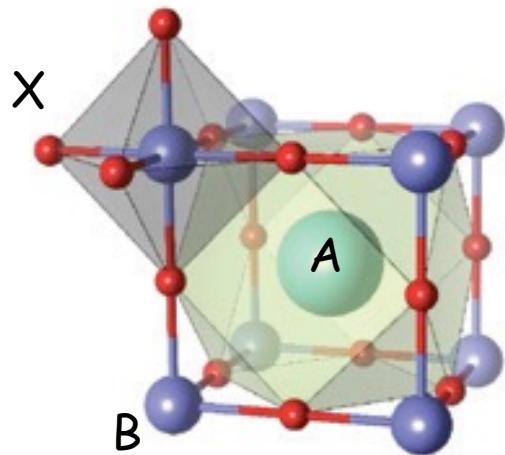
- Metallorganic lead-halide perovskites:

FAPI - FAPbI_3 [FA = $\text{HC}(\text{NH}_2)_2$]

- Anelastic spectra of MAPI and FAPI: structural transitions and relaxation due to cation reorientation and octahedral tilting
- Competition between polar and antiferrodistortive modes and correlated dynamics of the methylammonium molecules in MAPI
- Instability of cubic FAPI and influence of temperature, pressure, and humidity on the transition kinetics among the various polymorphs

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Hybrid metal-organic halide perovskites



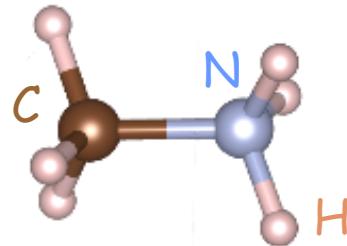
ABX_3

A = organic molecules (methylammonium, formamidinium, ...)

B = Pb^{2+} , Sn^{2+} , Mn^{2+} , Cd^{2+} ;

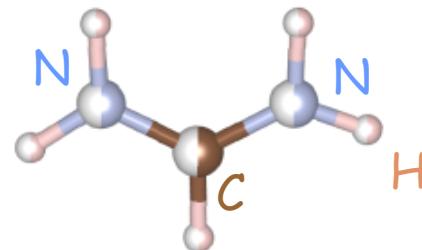
X = Cl^- , Br^- , I^-

$MAPbI_3$ (MAPI)



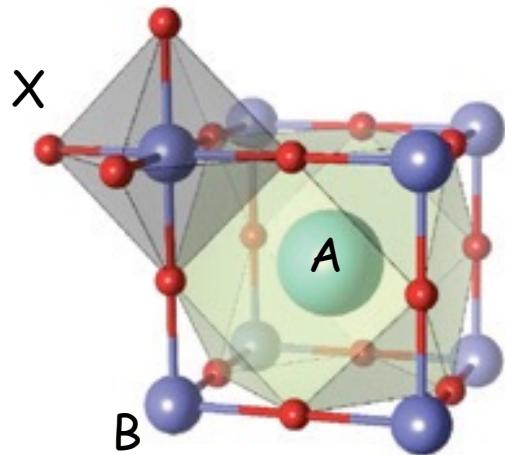
MA = CH_3NH_3

$FAPbI_3$ (FAPI)



FA = $CH(NH_2)_2$

Hybrid metal-organic halide perovskites



A = organic molecules (methylammonium, formamidinium, ...)

B = Pb^{2+} , Sn^{2+} , Mn^{2+} , Cd^{2+} ;

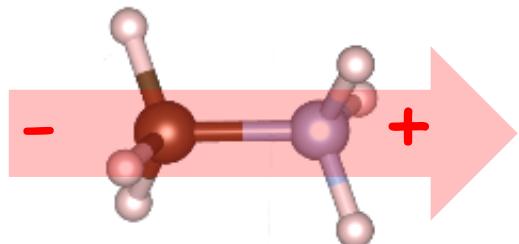
X = Cl^- , Br^- , I^-

Goldschmidt's tolerance factor

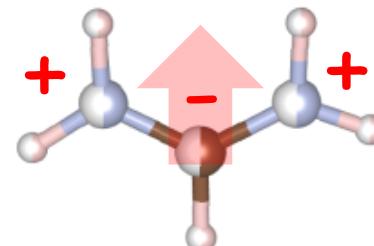
$$t = \frac{R_A + R_X}{\sqrt{2}(R_B + R_X)} \rightarrow t = 1$$

cubic structure

MAPbI₃ (MAPI)

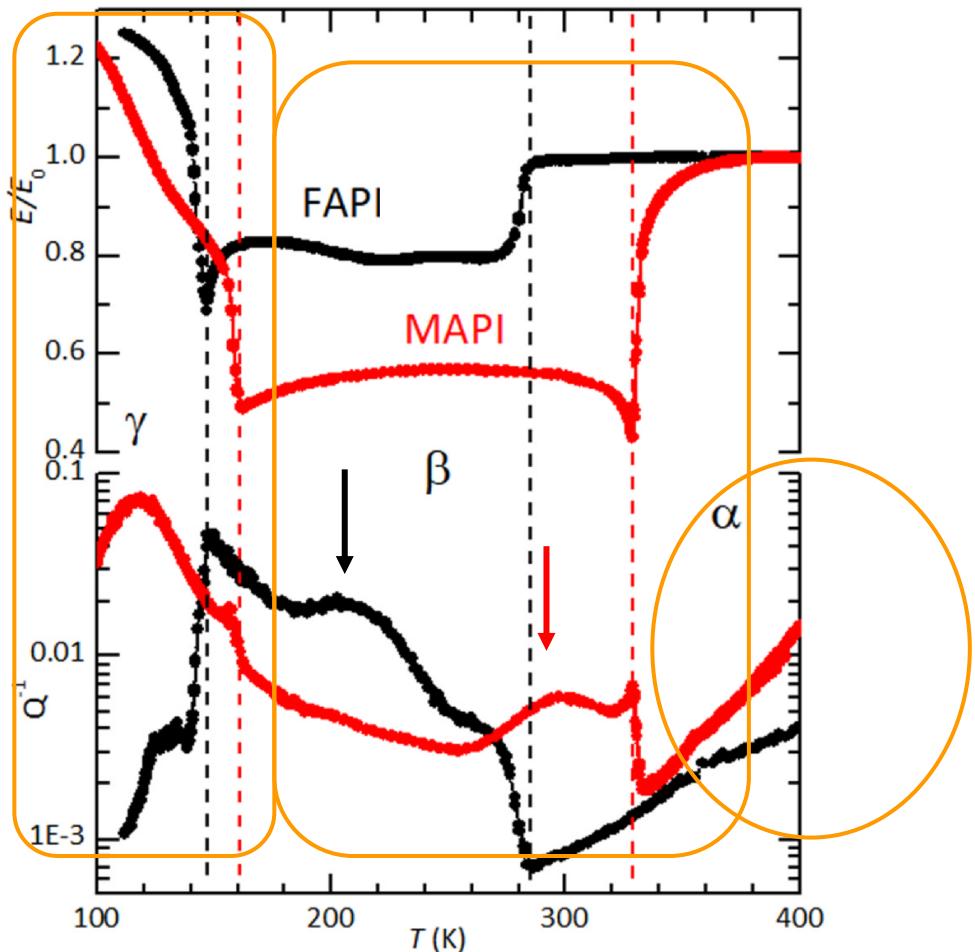


FAPbI₃ (FAPI)



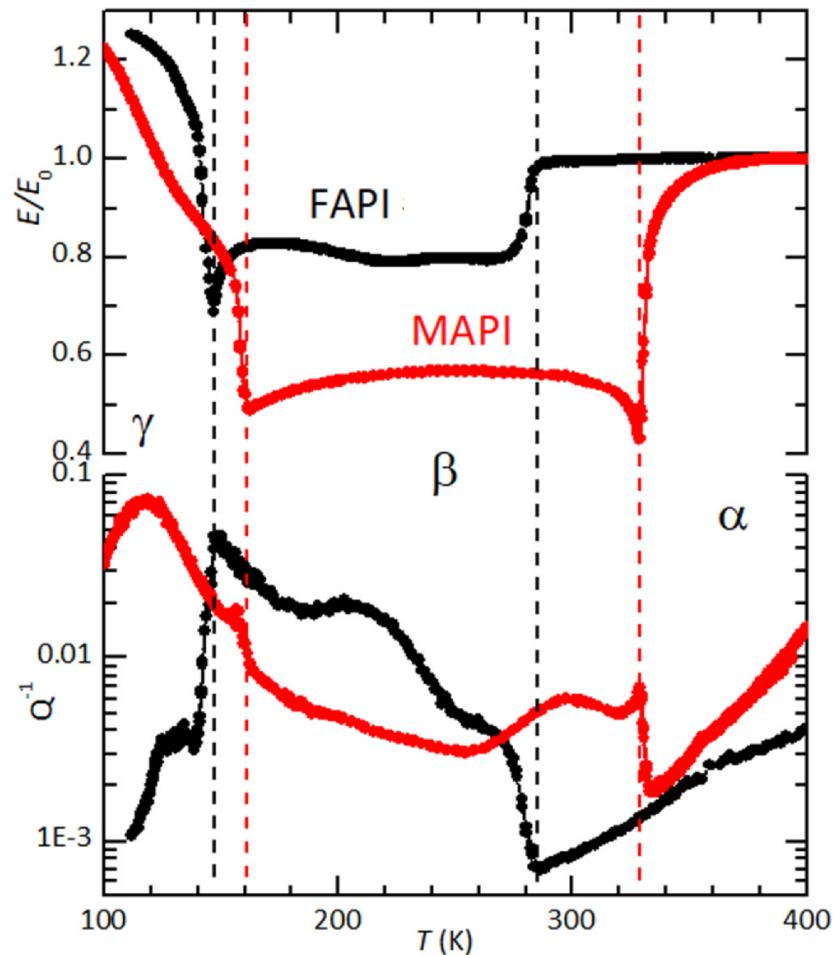
Anelastic spectra and dielectric permittivity of MAPI and FAPI

(~1 kHz) Anelastic spectra

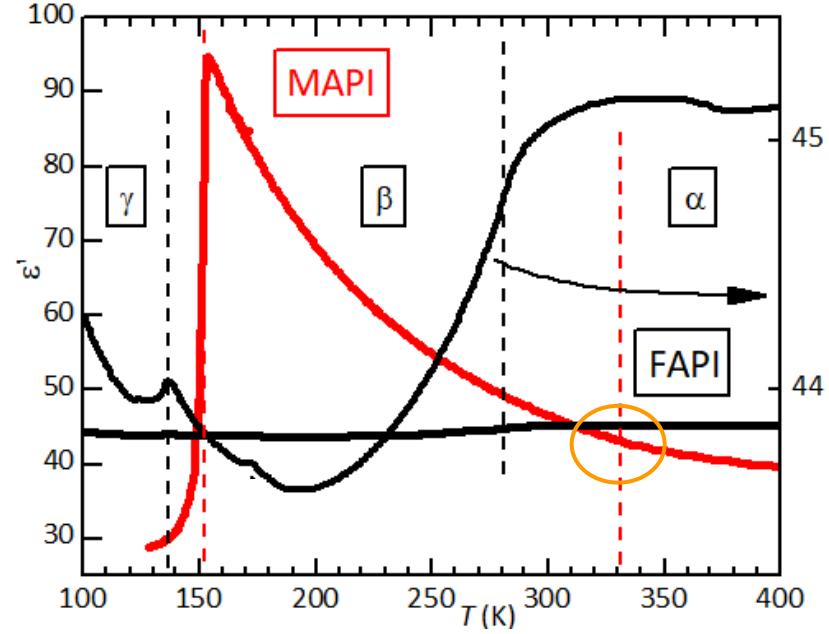


Anelastic spectra and dielectric permittivity of MAPI and FAPI

(~1 kHz) Anelastic spectra



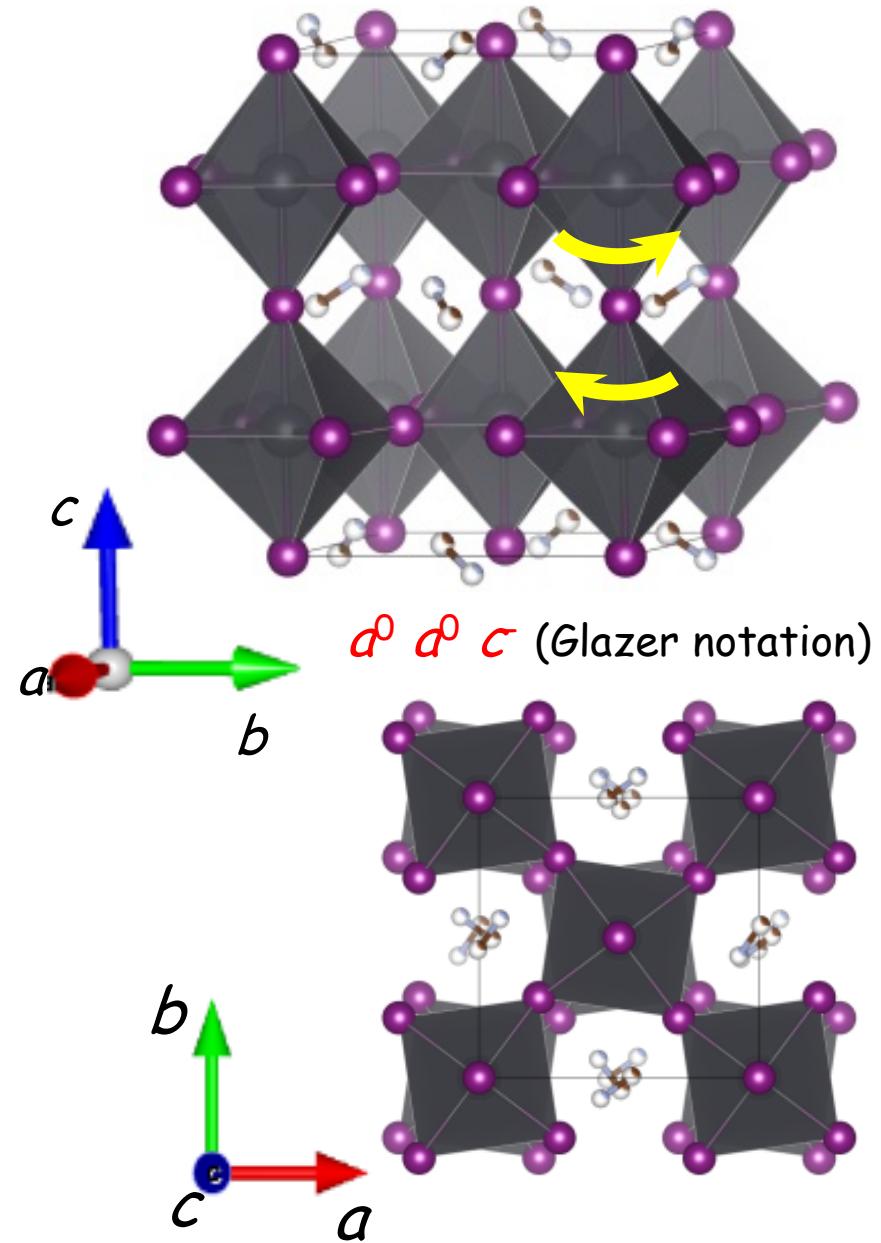
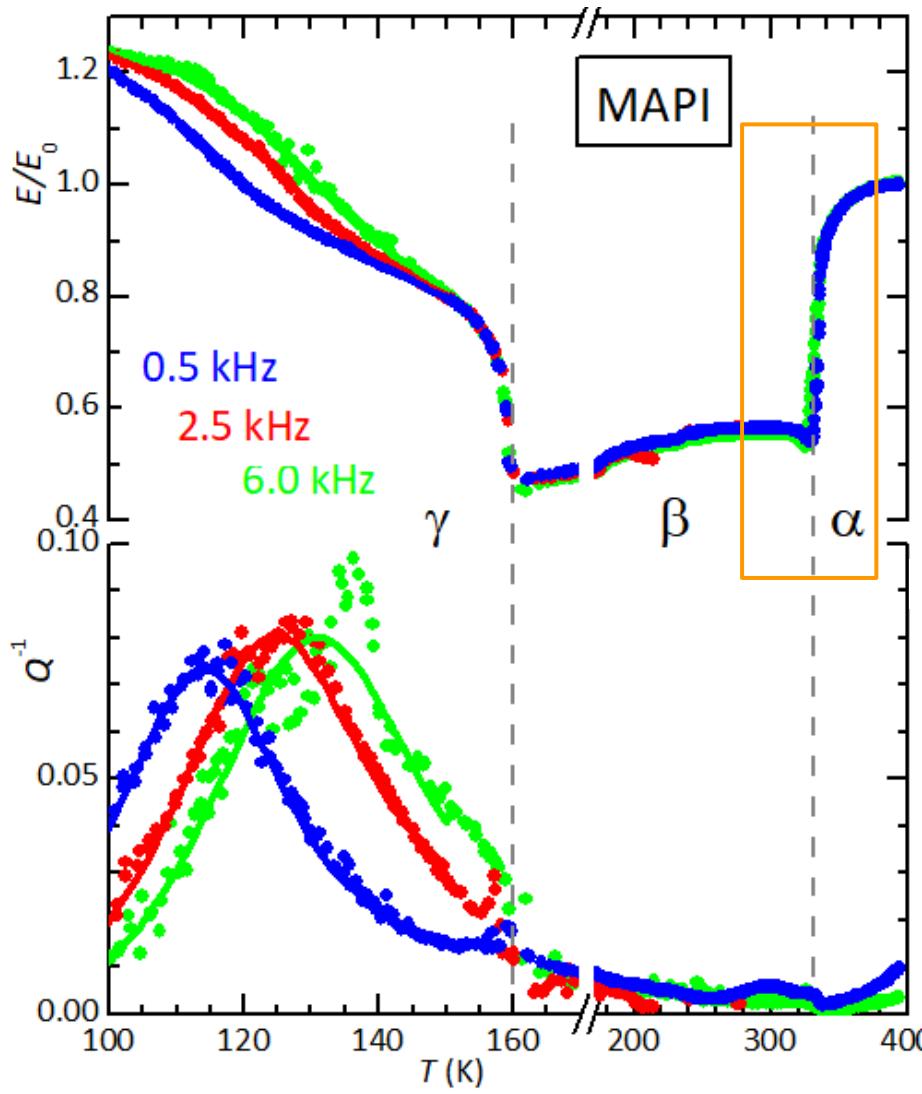
Dielectric permittivity (1 MHz)



- both perovskites in cubic α -phase above RT
(freely rotating MA and FA cations)

- two tilt transition of the PbI_6 octahedra
into a tetragonal β and orthorombic γ phase
(loss of orientational degrees of freedom
of the MA and FA cations)

Anelastic spectra of MAPI: cubic-tetragonal transition

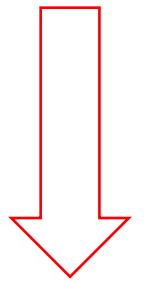


Expansion of the free energy in powers of Q (OP) and σ

$$G = F - \varepsilon\sigma \quad \varepsilon = -\frac{\partial G}{\partial \sigma}$$

$$G = \frac{a(T-T_C)}{2} Q^2 + \frac{B}{4} Q^4 + \frac{C}{6} Q^6 - \frac{s_0}{2} \sigma^2 - \cancel{g\sigma Q} - h\sigma Q^2 + \dots$$

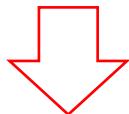
second order transition
 $(B > 0, C = 0)$



$$\left(s = \frac{d\varepsilon}{d\sigma} \right)$$

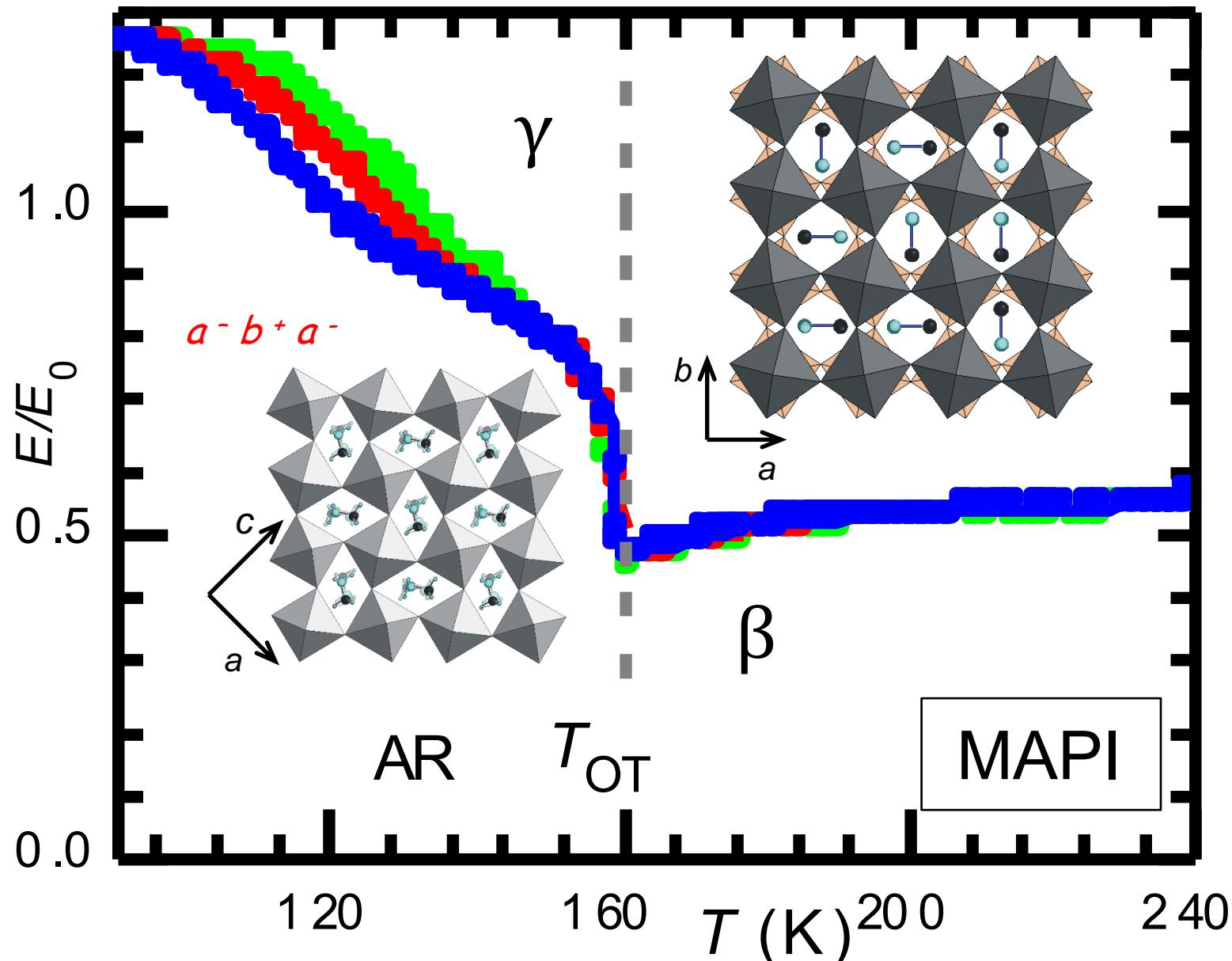
$g = 0$
if Q is the tilt angle or polarization

$$s = \begin{cases} s_0 & T > T_C \\ s_0 + \frac{2h^2}{B} & T < T_C \end{cases} \quad (\text{ } s_0 \rightarrow \text{cubic phase})$$



steplike softening

Coupling between FE and tilt modes



Coupling between two modes (within Landau theory of p. t.).

$$F = \frac{\alpha_2}{2} P^2 + \frac{\alpha_4}{4} P^4 + \frac{\beta_2}{2} Q^2 + \frac{\beta_4}{4} Q^4 + \boxed{\frac{\gamma}{2} P^2 Q^2}$$

coupling part

$\alpha_2 = \alpha_0(T - T_C) \rightarrow$ FE transition below T_C

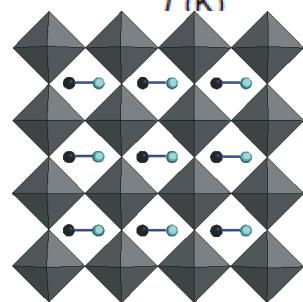
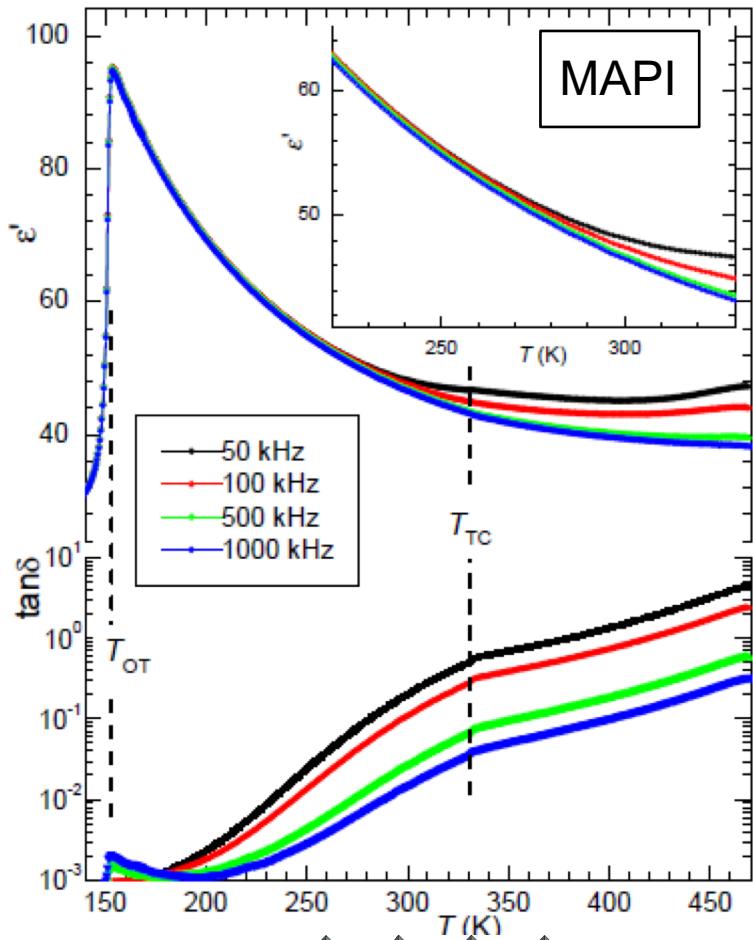
if $\gamma = 0$

$\beta_2 = \beta_0(T - T_T) \rightarrow$ tilt transition below T_T

$$B = \frac{\beta_0}{\beta_2} \gamma$$

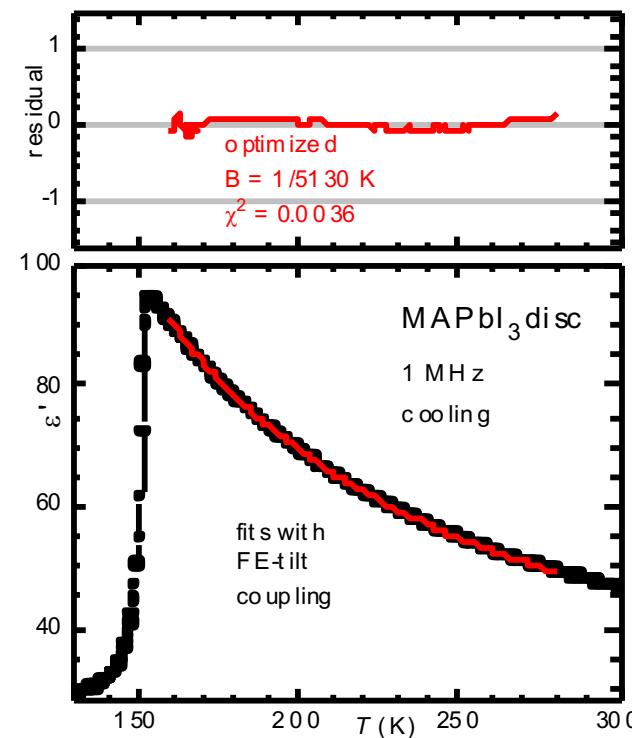
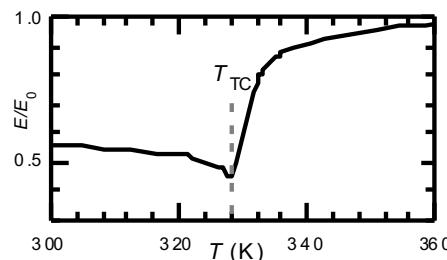
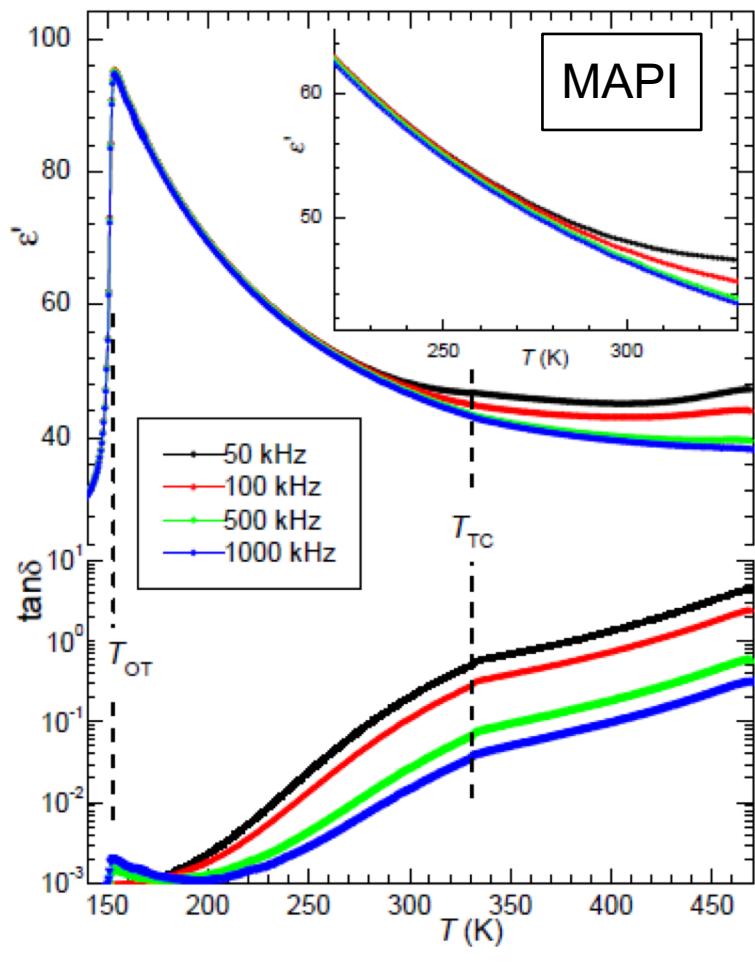
$$\epsilon = \epsilon_\infty + \frac{C}{T - T_C + BC(T_T - T)}$$

Competition between polar and antiferrodistortive modes



hypothetical
FE mode

Competition between polar and antiferrodistortive modes



$$\epsilon = 1 + \chi = \epsilon_\infty + \frac{C}{T - T_C + BC(T_T - T)}$$

$$\chi \quad \text{diverges at} \quad T_{FE} = \frac{T_C - BCT_T}{1 - BC}$$

from best fit ($T_T = 328$ K):

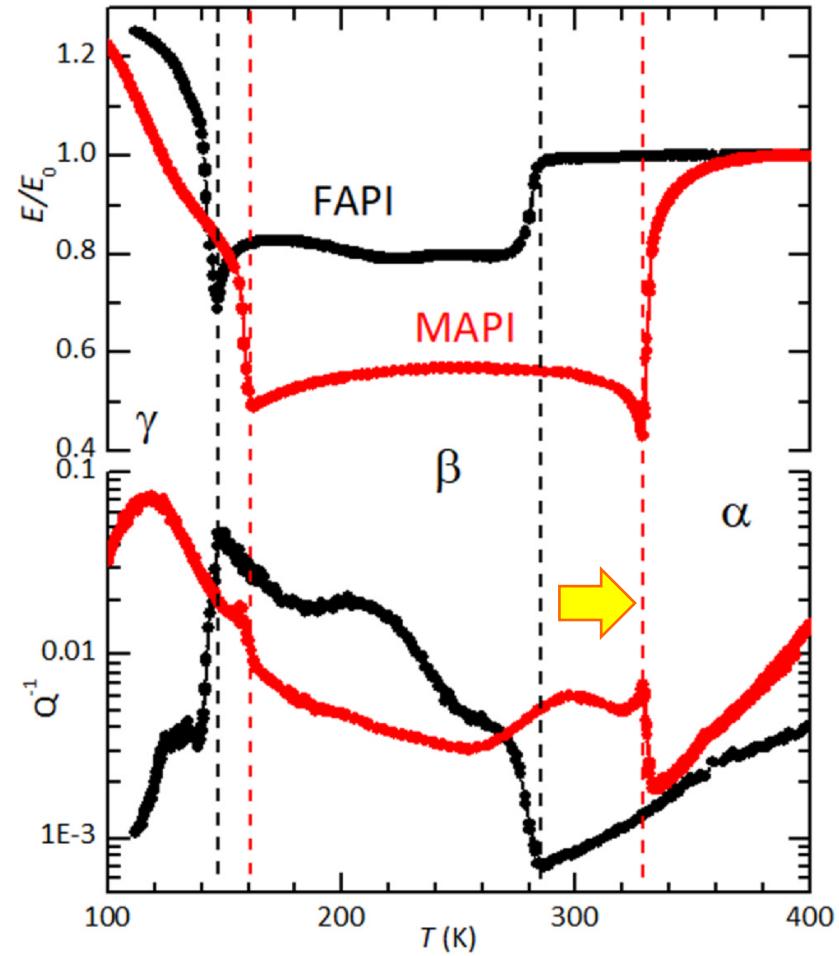
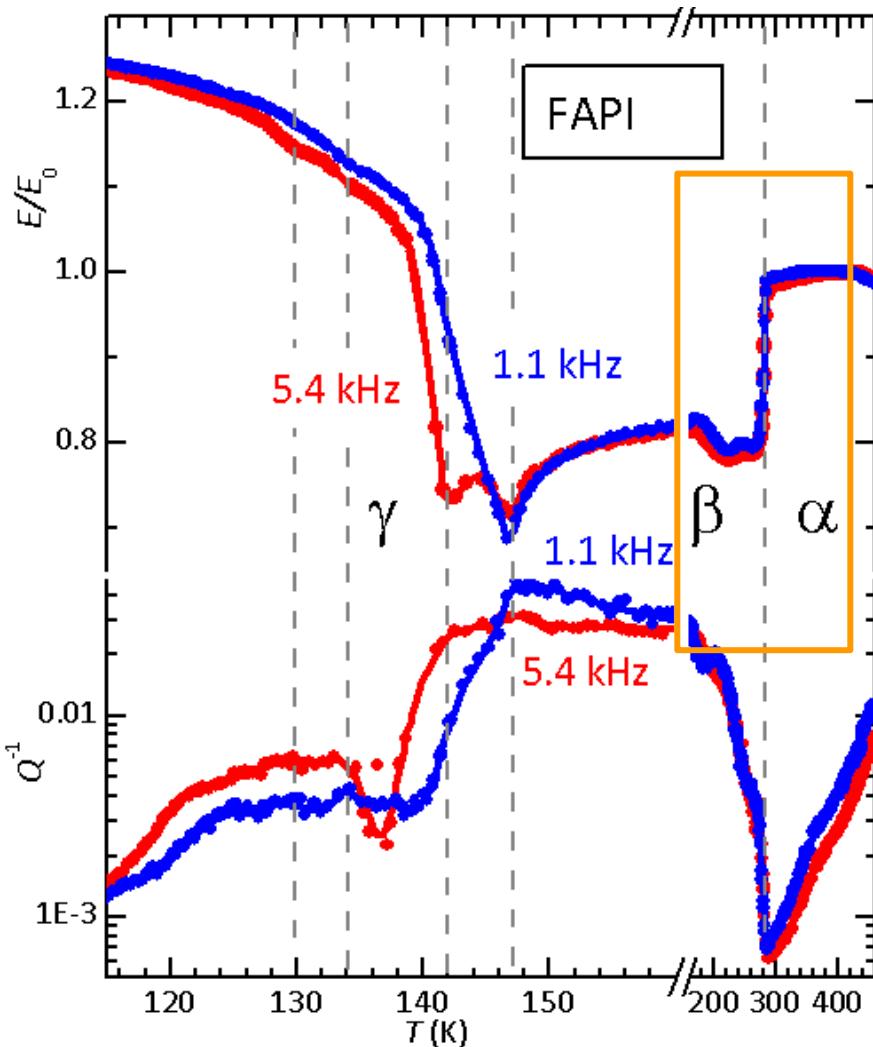
$$B = 1.95 \cdot 10^{-4} \text{ K}$$

$$C = 3190 \text{ K}$$

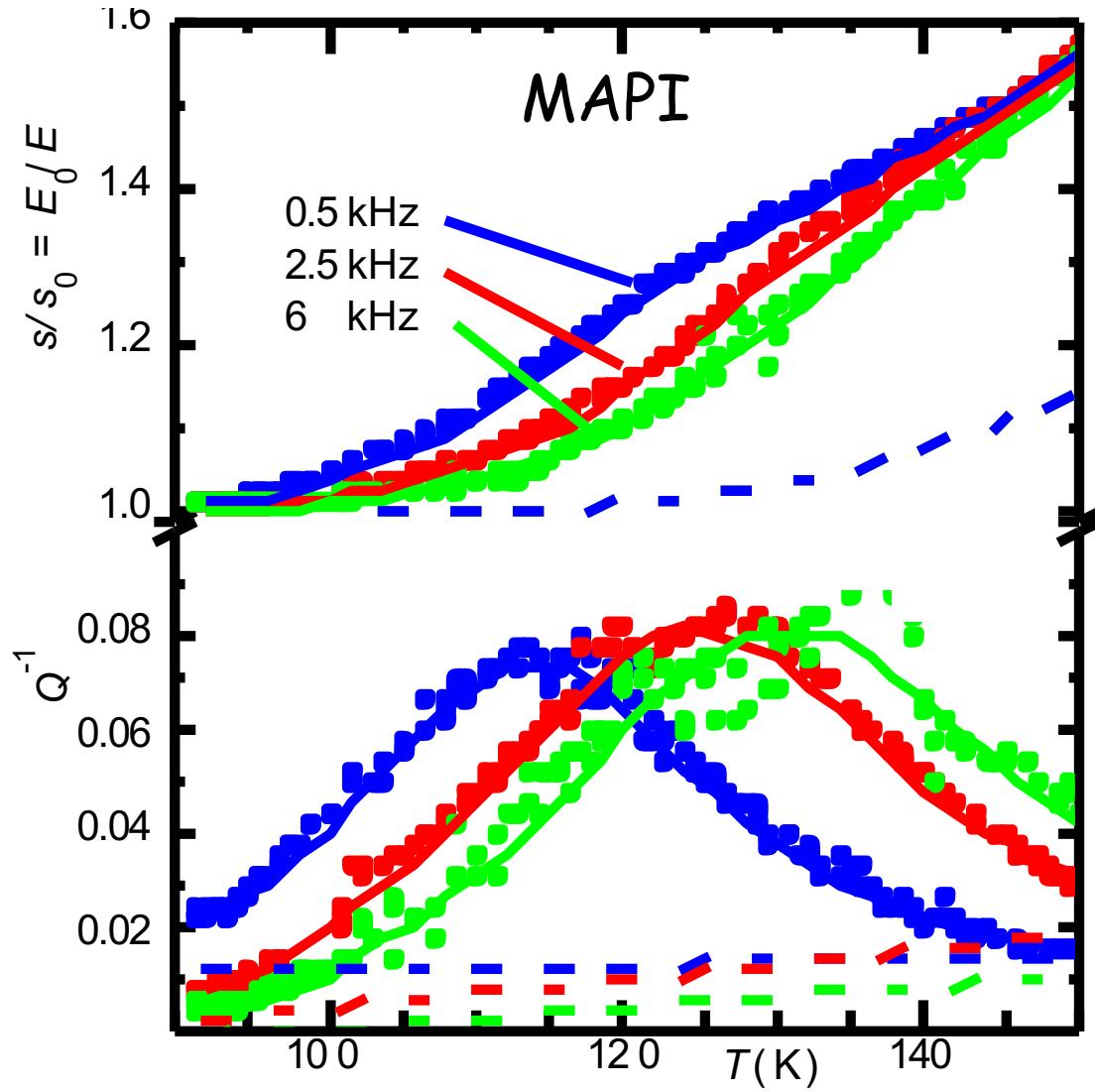
$$T_C = 223 \text{ K}$$

$$T_{FE} = 50 \text{ K}$$

FAPI: $\alpha \rightarrow \beta$ transition



Anelastic relaxation due to cation reorientation (MAPI)



$$s = s_{bg} + \frac{\Delta s}{[1 + (i\omega\bar{\tau})^{-\alpha}]^\gamma}$$

$$\bar{\tau} = \tau_0 e^{W/T} \cosh^{-1}(A/2T)$$

$$\Delta s = \frac{\Delta}{T \cosh^2(A/2T)}$$

$$\tau_0 = 2.0 \cdot 10^{-12} \text{ s}$$

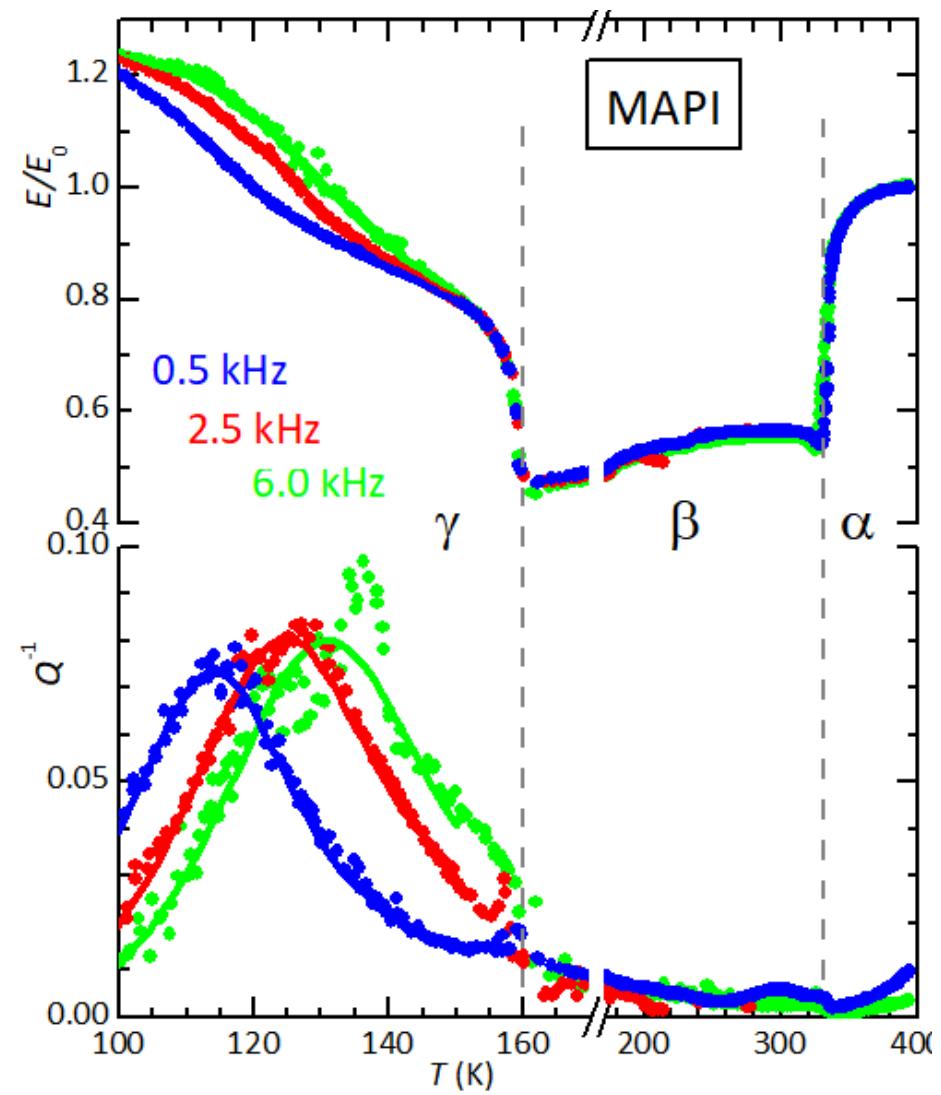
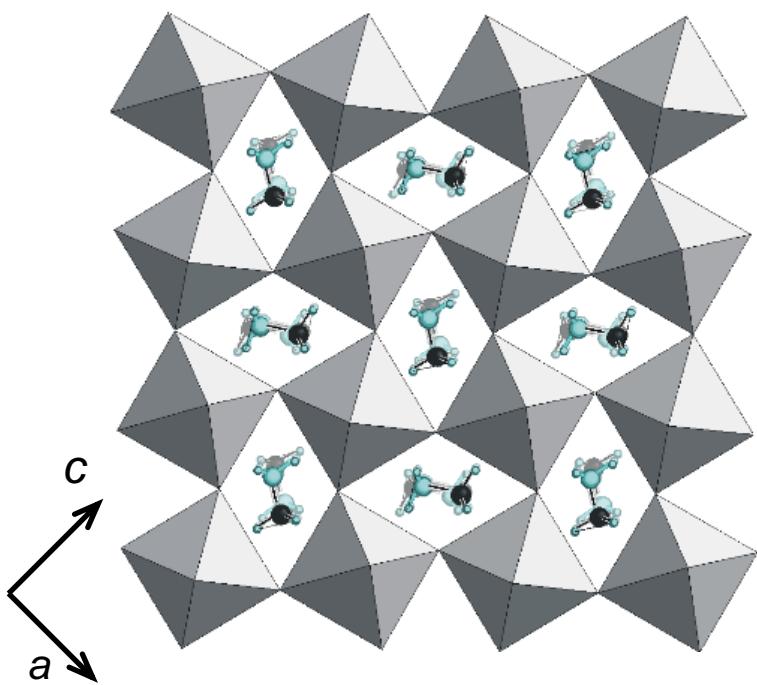
$$W = 2340 \text{ K}$$

$$A = 366 \text{ K}$$

$$\alpha = 0.797$$

$$\gamma = 0.498$$

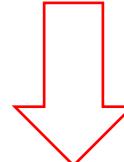
MAPI: $\beta \rightarrow \gamma$ transition



First order transition

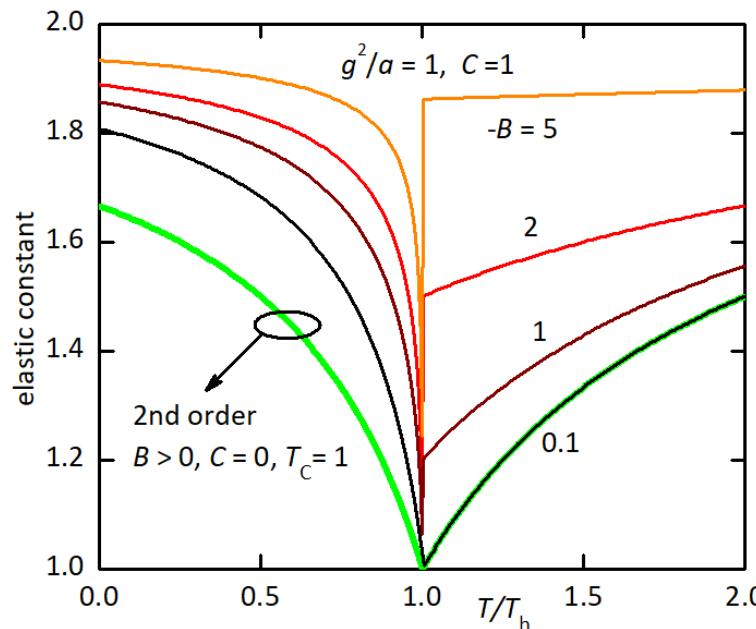
$$G = \frac{a(T-T_C)}{2} Q^2 + \frac{B}{4} Q^4 + \frac{C}{6} Q^6 - \frac{s_0}{2} \sigma^2 - g\sigma Q - h\sigma Q^2 + \dots$$

first order transition ($B < 0$)



$g \neq 0, h = 0$ if Q is a symmetrized coordinate

$$T_h = T_C + \frac{B^2}{4aC} \quad s - s_0 = \begin{cases} \frac{g^2}{(T - T_C)} & T > T_C \\ \frac{g^2}{4a[T_h - T + \sqrt{(T_h - T_C)(T_h - T)}]} & T < T_C \end{cases}$$



FAPI: $\beta \rightarrow \gamma$ transition

